Testing dark energy models with atom interferometry

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Outline:

Dark energy and screened fifth forces

How to search for screening

Atom interferometry constraints





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Testing the Equivalence Principle

Do large objects and small objects fall at the same rate?

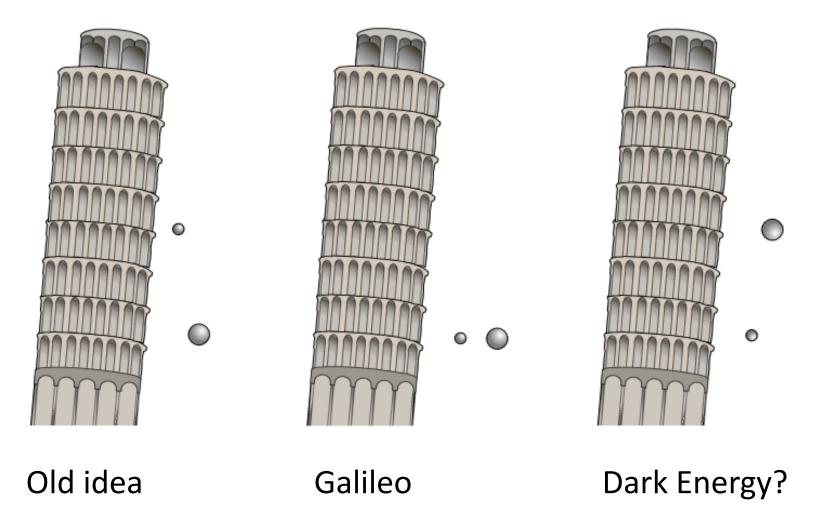
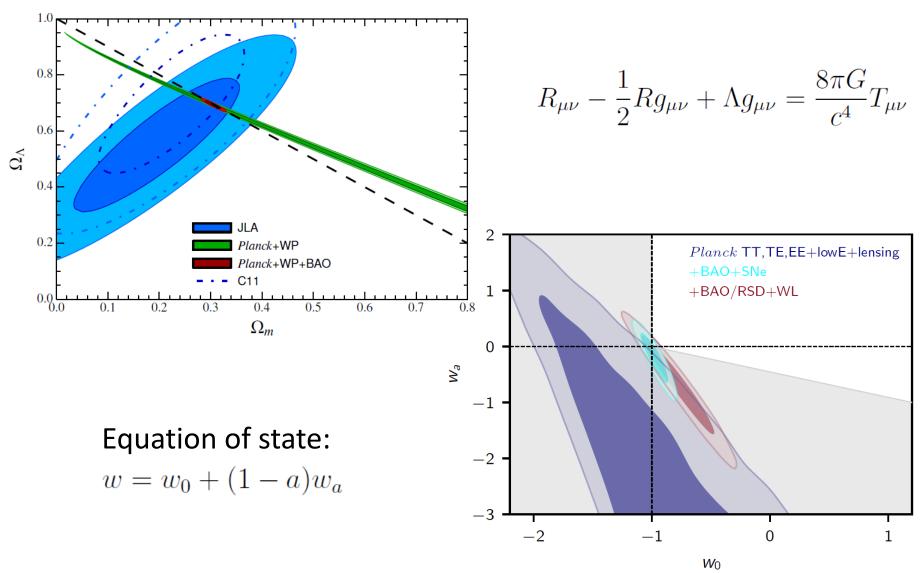


Image credit: Theresa Knott

Dark Energy Today



Betoule et al. (2014) Planck Collaboration. (2018)

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Why Introduce Light Scalar Fields?

A new type of matter eg dark energy

- Quintessence directly introduces new fields
- New, light (fundamental or emergent) scalars

A modification of gravity

- General Relativity is the unique interacting theory of a Lorentz invariant, massless, helicity-2 particle
 Papapetrou (1948). Weinberg (1965).
- New physics in the gravitational sector will introduce new degrees of freedom, typically Lorentz scalars

Dark matter could also be a light scalar

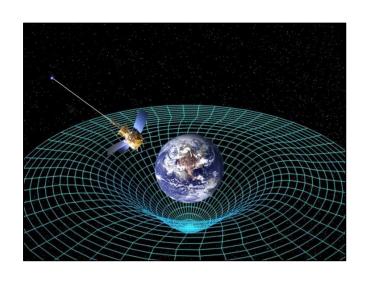
Yukawa Fifth Forces

A long range Yukawa fifth force is excluded to a high degree of precision in the solar system

$$V(r) = -\frac{G\alpha m_1 m_2}{r} e^{-m_\phi r}$$

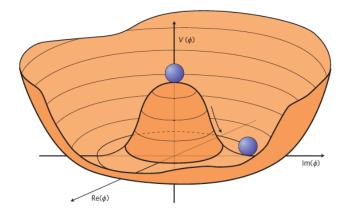
$$10^8 \frac{10^6}{10^4} \frac{\text{Stanford}}{\text{Wuhan}} \frac{\text{EXCLUDED}}{\text{REGION}} \frac{10^{-1}}{10^{-3}} \frac{\text{excluded}}{\text{region}} \frac{10^{-4}}{\text{region}} \frac{\text{excluded}}{\text{region}} \frac{10^{-4}}{\text{region}} \frac{\text{geophysical}}{10^{-5}} \frac{10^{-6}}{10^{-6}} \frac{\text{Earth-LAGEOS}}{10^{-9}} \frac{10^{-9}}{10^{-10}} \frac{\text{LLR}}{\text{LLR}} \frac{\text{planetary}}{\text{planetary}} \frac{10^{-9}}{10^{-10}} \frac{10^{-9}}{\lambda [m]} \frac{10^{-10}}{\lambda [m]} \frac{1$$

Is the New Physics Linear?



General relativity is a non-linear theory

Higgs scalar has a non-linear potential



New Physics is Non-linear: Screening Mechanisms

Locally weak coupling
 Symmetron and varying dilaton models

Pietroni (2005). Olive, Pospelov (2008). Hinterbichler, Khoury (2010). Brax et al. (2011).

Locally large mass
 Chameleon models
 Khoury, Weltman (2004).

Locally large kinetic coefficient
 Vainshtein mechanism, Galileon and k-mouflage models

Vainshtein (1972). Nicolis, Rattazzi, Trincherini (2008). Babichev, Deffayet, Ziour (2009).

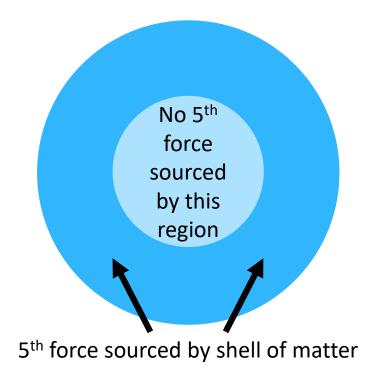
Screening Phenomenology

Change the dependence on distance

Vainshtein screening

Change the way in which matter sources the scalar field

- thin-shell effect





Large objects are screened from the 5th force

The Chameleon



A scalar field with canonical kinetic terms, non-linear potential, and direct coupling to matter

$$S_{\phi} = \int d^4x \sqrt{-g} \left(-\frac{1}{2} (\partial \phi)^2 - V(\phi) - A(\phi) \rho_{\rm m} \right)$$
$$V(\phi) = \frac{\Lambda^5}{\phi}, \quad A(\phi) = \frac{\phi}{M} ,$$

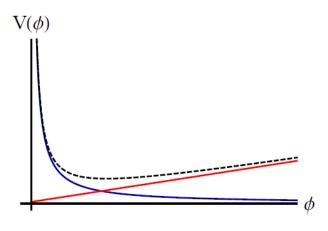
Khoury, Weltman. (2004). Image credit: Nanosanchez Equivalent description as Higgs portal model: CB, Copeland, Millington, Spannowsky. (2018)

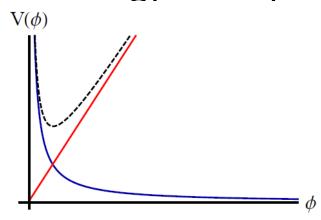
Varying Mass

Dynamics governed by an effective potential

$$V_{\text{eff}} = \frac{\Lambda^5}{\phi} + \frac{\phi}{M}\rho$$

Non-linearities in the potential mean that the mass of the field depends on the local energy density



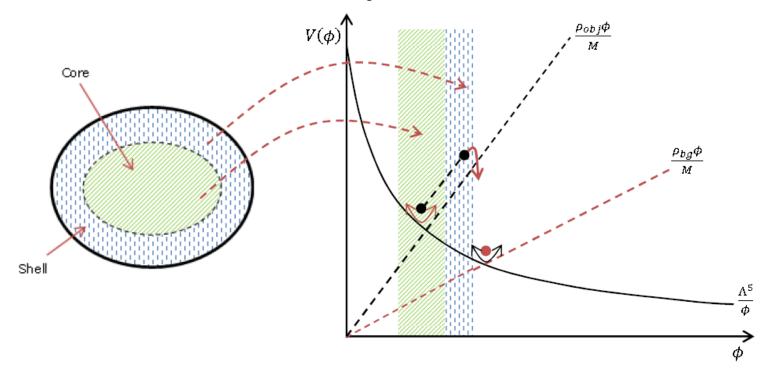


Low density

High density

Chameleon Screening

The increased mass makes it hard for the chameleon field to adjust its value



The chameleon potential well around 'large' objects is shallower than for canonical light scalar fields

The Scalar Potential

Around a static, spherically symmetric source of constant density

$$\phi = \phi_{\rm bg} - \lambda_A \frac{1}{4\pi R_A} \frac{M_A}{M} \frac{R_A}{r} e^{-m_{\rm bg}r}$$

$$\lambda_{A} = \begin{cases} 1, & \rho_{A} R_{A}^{2} < 3M \phi_{\text{bg}} \\ 1 - \frac{S^{3}}{R_{A}^{3}} \approx 4\pi R_{A} \frac{M}{M_{A}} \phi_{\text{bg}}, & \rho_{A} R_{A}^{2} > 3M \phi_{\text{bg}} \end{cases}$$

This determines how 'screened' an object is from the chameleon field

Ideal experiments use unscreened test masses e.g. atomic nuclei, neutrons, microspheres

Testing the Equivalence Principle

Do large objects and small objects fall at the same rate?

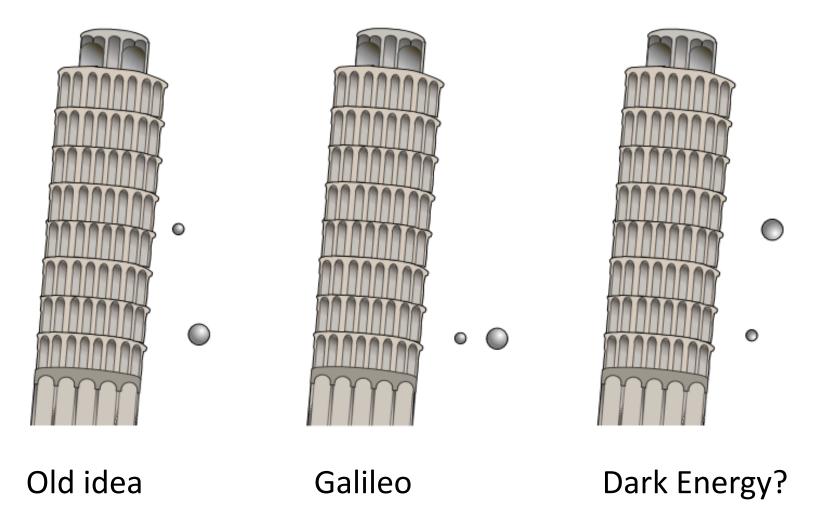
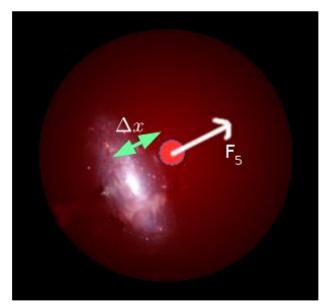


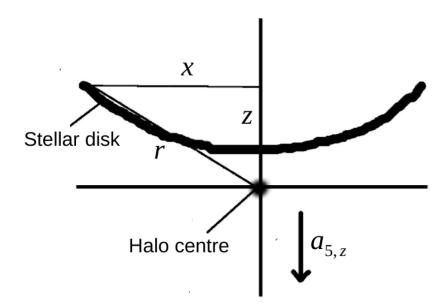
Image credit: Theresa Knott

Tests on Galactic Scales

Different components of a dwarf galaxy may fall in a gravitational field at different rates

- Stars are screened, gas and dark matter are not
- Look for gas-star offsets & warping of galactic discs





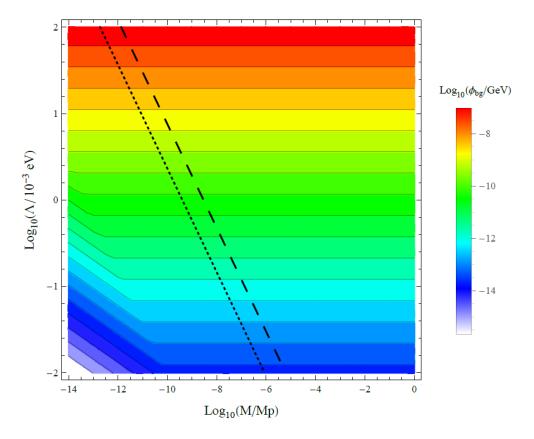
Hui, Nicolis, Stubbs. (2009). Jain, VanderPlas. (2011)
Desmond, Ferreira, Lavaux, Jasche. (2018)
Desmond, Ferreira. (2020)

Why Atom Interferometry?

In a spherical vacuum chamber, radius 10 cm, pressure 10⁻¹⁰ Torr

Atoms are unscreened above black lines

(dashed = caesium, dotted = lithium)

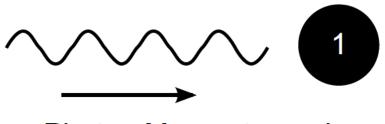


CB, Copeland, Hinds. (2015)

Atom Interferometry

An interferometer where the wave is made of atoms

Atoms can be moved around by absorption of laser photons

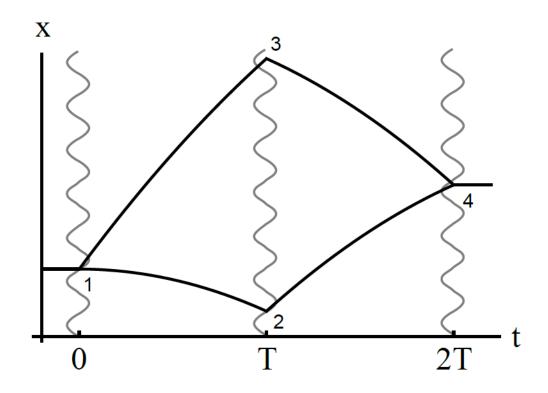


Photon Momentum = k Atom in ground state



Atom in excited state with velocity = V

Atom Interferometry



Probability measured in excited state at output

$$P = \cos^2\left(\frac{kaT^2}{2}\right)$$

The Atomic Wavefunction

The probability of measuring atoms in the unexcited state at the output of the interferometer is a function of the wave function phase difference along the two paths

$$P \propto \cos^2\left(\frac{\varphi_1 - \varphi_2}{2}\right)$$

For freely falling atoms the contribution of each path has a phase proportional to the classical action

$$\theta[x(t)] = Ce^{(i/\hbar)S[x(t)]}$$

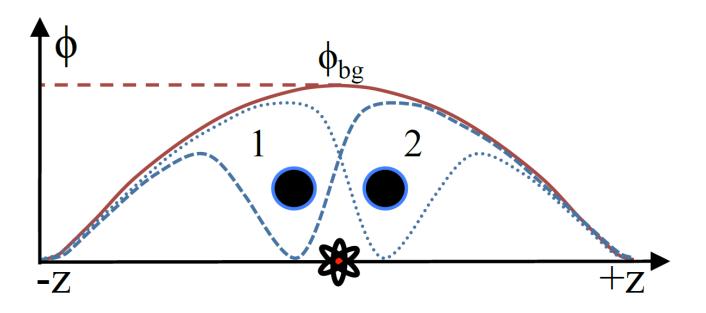
Additional contributions from interactions with photons, proportional to

$$(i/\hbar)(\omega t - \vec{k} \cdot \vec{x})$$

Atom Interferometry for Chameleons

The walls of the vacuum chamber screen out any external chameleon forces

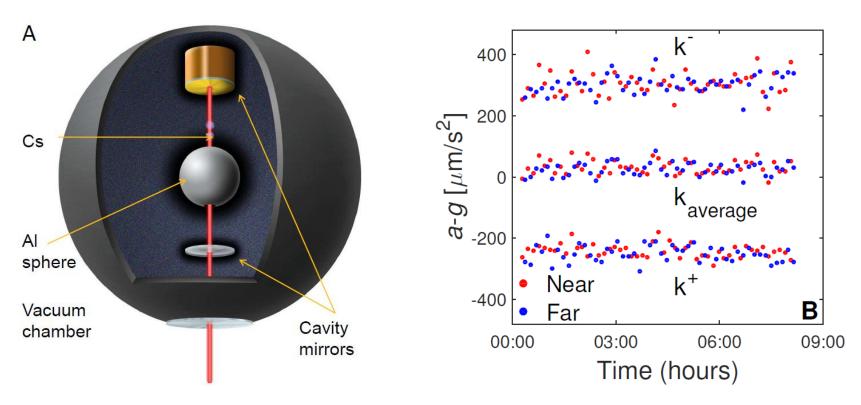
Macroscopic spherical mass, produces chameleon potential felt by cloud of atoms



Berkley Experiment

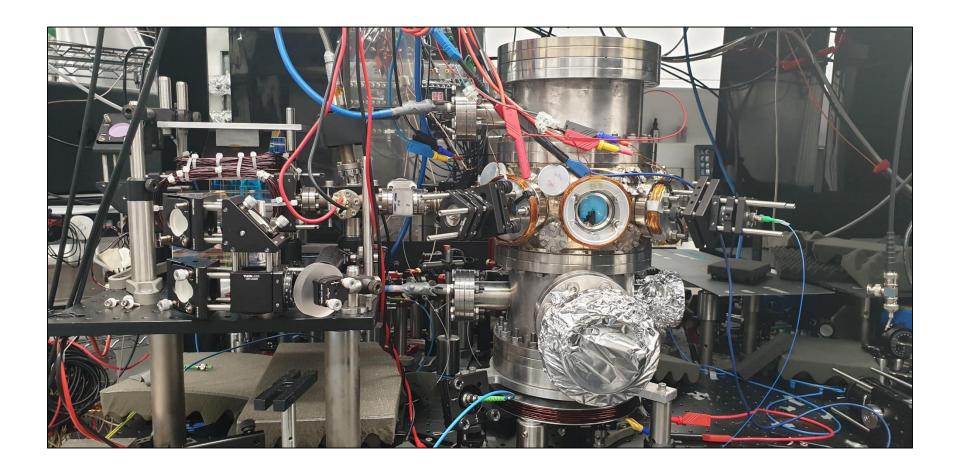
Using an existing set up with an optical cavity, looking for a signal on top of the Earth's magnetic field

Anomalous acceleration = 11 ± 24 nm s⁻²



Jaffe, Haslinger, Xu, Hamilton, Upadhye, Elder, Khoury, Müller. (2017) Elder, Khoury, Haslinger, Jaffe, Müller, Hamilton. (2016)

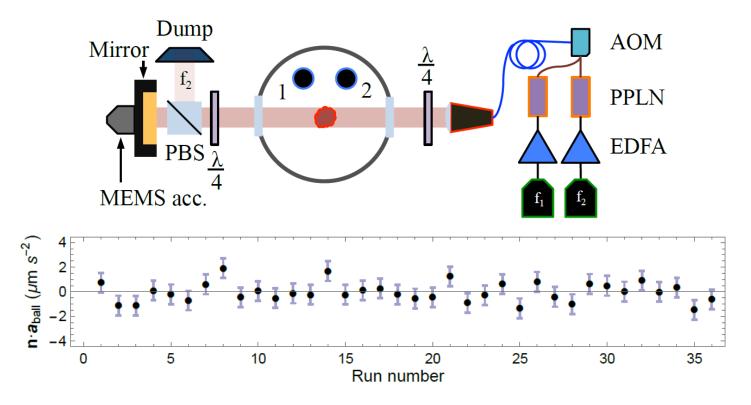
Imperial Experiment



Imperial Experiment

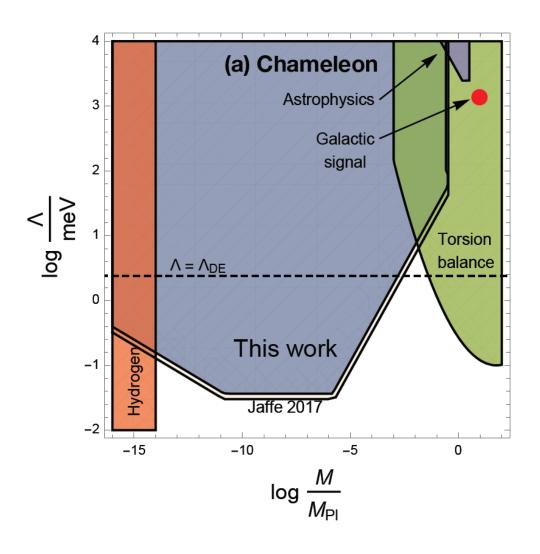
Dedicated chameleon experiment, insensitive to the Earth's gravitational field

Anomalous acceleration = -77 ± 201 nm s⁻²

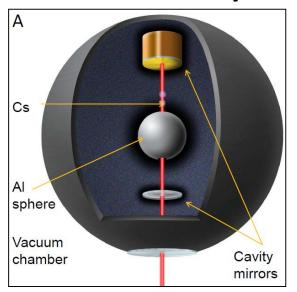


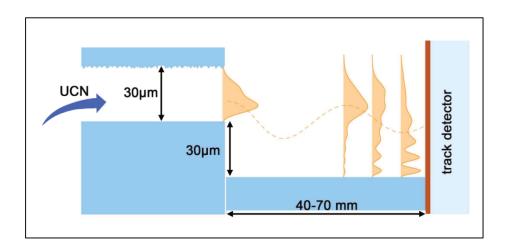
Sabulsky, Dutta, Hinds, Elder, CB, Copeland. arXiv:1812.08244 See also: Jaffe et al. (2017)

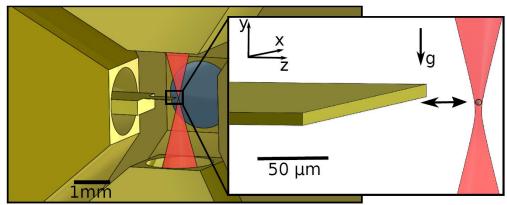
Imperial Experiment



Laboratory Searches – EP violation

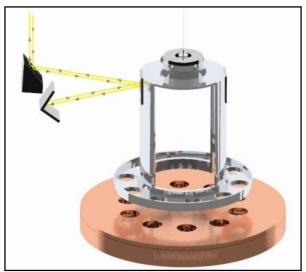


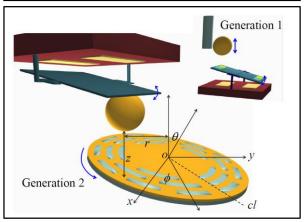


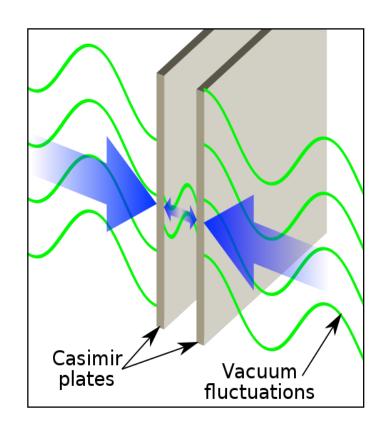


Jaffe, Haslinger, Xu, Hamilton, Upadhye, Elder, Khoury, Müller. (2017)
Rider, Moore, Blakemore, Louis, Lu, Gratta. (2016)
Ivanov, Hollwieser, Jenke, Wellenzohen, Abele (2013)
For a review see CB & Sakstein (2017)

Laboratory Searches – Short Range Forces





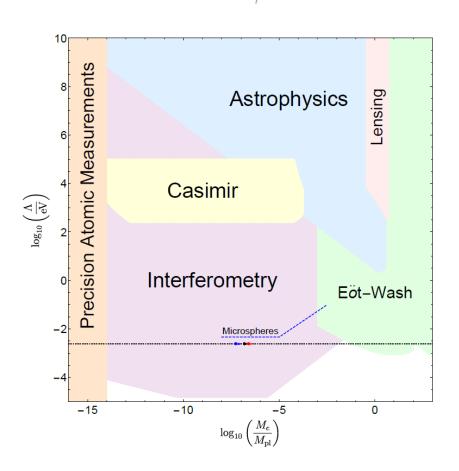


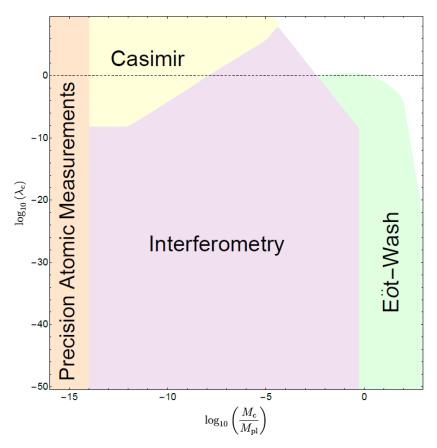
Upadhye (2012). Kapner, Cook, Adelberger, Gundlach, Heckel, Hoyle, Swanson. (2006). Brax, van de Bruck, Davis, Mota, Shaw (2007) Elder, Vardanyan, Akrami, Brax, Davis, Decca (2019) For a review see CB & Sakstein (2017)

Combined Chameleon Constraints

$$V(\phi) = \frac{\Lambda^5}{\phi}$$

$$V(\phi) = \frac{\lambda}{4}\phi^4$$





Summary

Explanations for dark energy typically introduce new scalar fields but the corresponding long range forces are not seen

Screening mechanisms (non-linearities) hide these forces from fifth force searches

- Can still be detected in suitably designed experiments
- Atom interferometry a particularly powerful technique

Complementary to large scale cosmological surveys e.g. Euclid, LSST